

Behavioural State Machines

(programming modular agents)

Peter Novák

Clausthal University of Technology, Germany

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Outline

- 1 Motivation
- 2 Behavioural State Machines
- 3 Jazzbot: case study
- 4 Summary & outlook



Agent programming

Knowledge intensive/cognitive agents

- knowledge attitudes, mental state, state of environment
- body sensors/effectors ~> environment
- system dynamics reasoning, behaviours and performing actions



Agent programming

Knowledge intensive/cognitive agents

- *knowledge* attitudes, mental state, state of environment
- body sensors/effectors ~→ environment
- system dynamics reasoning, behaviours and performing actions

Challenges for programming frameworks:

- *theoretical properties* insight into system properties ~ verification, analysis, design
- practical applicability support of traditional SW development techniques, modularity, integration with external systems

(Belief-Desire-Intention metaphor in mind)



My way to go...

Different programming languages are suitable for different knowledge representation tasks.



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Focus on encoding agent's behaviours.

Behavioural State Machines

A programming framework with clear separation between knowledge representation and agent's behaviours.

Desiderata

- clear semantics
- modularity (KR, source code)
- easy integration with external/legacy systems



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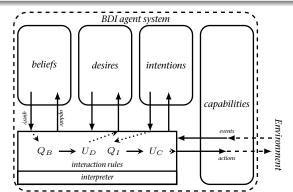
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BSM overview

core concept: KR module $\mathcal{M} = (\mathcal{L}, \mathcal{Q}, \mathcal{U})$

- lacksquare $\mathcal L$ a KR language,
- lacksquare \mathcal{Q} a set of query operators $\models: \mathcal{S} \times \mathcal{L} \to \{\top, \bot\}$,
- \mathcal{U} set of update operators $\oplus : \mathcal{S} \times \mathcal{L} \to \mathcal{S}$.





BSM Syntax: $Query \longrightarrow Update$

query formulae

- $\blacksquare \models \varphi$ is a query $(\varphi \in \mathcal{L}_i$, and $\models \in \mathcal{U}_i$ of a KR module \mathcal{M}_i)
- $\phi_1 \wedge \phi_2$, $\phi_1 \vee \phi_2$ and $\neg \phi_1$ are queries



BSM Syntax: $Query \longrightarrow Update$

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- $\blacksquare \models \varphi$ is a query $(\varphi \in \mathcal{L}_i$, and $\models \in \mathcal{U}_i$ of a KR module \mathcal{M}_i)
- \bullet $\phi_1 \land \phi_2, \phi_1 \lor \phi_2$ and $\neg \phi_1$ are queries

mental state transformer (mst)

```
primitive skip is a mst
```

primitive $\oplus \psi$ is a mst $(\oplus \in \mathcal{U}_i, \psi \in \mathcal{L}_i)$ of a module \mathcal{M}_i

conditional $\phi \longrightarrow \tau$ is a mst (ϕ is a query, and τ is a mst)

choice $\tau | \tau'$

sequence $\tau \circ \tau'$



transition system over states $\sigma = \langle \sigma_1, \dots, \sigma_n \rangle$ induced by updates $\oplus \psi$ $yields(\tau, \sigma, \nu)$

$$\frac{yields(\tau_1,\sigma,\nu_1\neq\emptyset),\forall\rho\in\nu_1:yields(\tau_2,\sigma\bigoplus\rho,\nu_\rho)}{yields(\tau_1\circ\tau_2,\sigma,\bigcup_{}^{}^{}}\{\rho\}\bullet\nu_\rho)}$$

$$\underbrace{yields(\tau_1,\sigma,\emptyset), yields(\tau_2,\sigma,\nu_2)}_{yields(\tau_1,\sigma,\sigma,\sigma,\nu_2)}$$

$$\nu_1 \bullet \nu_2 = \{ \rho_1 \bullet \rho_2 | (\rho_1, \rho_2) \in \nu_1 \times \nu_2 \\ \sigma \bigoplus \rho_1 \bullet \rho_2 \leadsto (\sigma \bigoplus \rho_1) \bigoplus \rho_2 \}$$



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\frac{yields(\tau,\sigma,\nu),\sigma\models\phi}{yields(\phi\to\tau,\sigma,\nu)} \qquad \frac{yields(\tau,\sigma,\nu),\sigma\not\models\phi}{yields(\phi\to\tau,\sigma,\emptyset)} \qquad \text{when query module } [\{...\}]
\frac{yields(\tau_1,\sigma,\nu_1), yields(\tau_2,\sigma,\nu_2)}{yields(\tau_1|\tau_2,\sigma,\nu_1\cup\nu_2)} \qquad \qquad \{...\}
```

$$yields(\tau_1,\sigma,\emptyset), yields(\tau_2,\sigma,\nu_2)$$

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Semantics: $\mathcal{A} = (\mathcal{M}_1, \dots, \mathcal{M}_n, \mathcal{P})$

transition system over states $\sigma = \langle \sigma_1, \dots, \sigma_n \rangle$ induced by updates $\oplus \psi$ $yields(\tau, \sigma, \nu)$

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 $yields(\tau_1 \circ \tau_2, \sigma, \nu_2)$

 $\sigma \bigoplus \rho_1 \bullet \rho_2 \rightsquigarrow (\sigma \bigoplus \rho_1) \bigoplus \rho_2$



Semantics cont.

BSM computation step

A BSM $\mathcal{A} = (\mathcal{M}_1, \dots, \mathcal{M}_n, \mathcal{P})$ induces a transition $\sigma \to \sigma'$ iff the program \mathcal{P} yields an update set $\nu \neq \emptyset$ in σ , $\otimes \psi \in \nu$ is an update and $\sigma' = \sigma \bigoplus \oslash \psi$.



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BSM semantics (operational view)

A sequence $\sigma_1, \ldots, \sigma_i, \ldots$, s.t. $\sigma_i \to \sigma_{i+1}$, is a trace of BSM. An agent system (BSM), is characterized by a set of all traces.



Semantics cont.

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A sequence $\sigma_1, \ldots, \sigma_i, \ldots$, s.t. $\sigma_i \to \sigma_{i+1}$, is a trace of BSM. An agent system (BSM), is characterized by a set of all traces.

BSM semantics (functional view)

 $yields(\tau, \sigma, \nu) \rightsquigarrow$ a set of *enabled* updates in states

code modularity



Abstract interpreter

input: agent program \mathcal{P} , initial mental state state σ_0

```
\begin{array}{l} \sigma = \sigma_0 \\ \textbf{loop} \\ \textbf{compute } \nu \textbf{, s.t. } yields(\mathcal{P}, \sigma, \nu) \\ \textbf{if } \nu \neq \emptyset \textbf{ then} \\ \textbf{non-deterministically choose } \rho \in \nu \\ \sigma = \sigma \oplus \rho \\ \textbf{end if} \\ \textbf{end loop} \end{array}
```



Example: office space robot

```
/* Initialization */
declare module beliefs as ASP
declare module beliefs as ASP
declare module goals as Prolog
declare module body as Java
/* initializations omitted */

/* Default operation */
when sense body {{ (Battery.status() == OK) }} then {
/* Roam around */
perform body {{ (Motors.turn(Rnd.get(), Rnd.get()) }};
perform body {{ (Motors.stepForward() }}
else
{
/* Safe emergency mode — degrade gracefully */
perform body {{ InfraEye.switch(off)}};
update goals {{ assert(dock) }}
};
```

```
/* Interruption handling */
when sense body (X) [{ Visual.see(X) }] and
query beliefs (X) [{ friend(X), not met(X) }]
then {
perform body [{ Face.smile(on ) }] ,
perform body [{ Audio.say("Hello!") }] ,
adopt beliefs (X) [{ met(X) }]
}
```



Jazzbot

Bot in a simulated 3D environment.

A case study application/proof-of-concept for BSM/Jazzyk.

- test-bed for various KR technologies in agent setting
- test-bed for applications of evolving KBs/LP updates in a dynamic, single agent scenario (DLP)
- challenging, dynamic, unstructured and rich environment





Jazzbot overview

```
Agent program:
when believes goals(Obj) [{find(Obj)}] and
                                                                   (1)
     believes brain(Obj) [{see(Obj)}] and
                                                                   (2)
     query map(Object, Dist) [{Dist=get distance of(Obj)}]
                                                                   (3)
then
     act body(Dist) [{move forward Dist}] ,
                                                                   (4)
     update brain(Obj) [{keeps(Obj)}]
                                                                   (5)
                       Jazzyk interpreter
   (2) (5)
                   (3)
                                                                 (4)
Belief base
                                    Goal base
                                                        Environment
          brain
                         map
                                             aoals
                                                                   bodv
                                                           Nexuiz client
   ASP solver
                                       ASP solver
                     Ruby
 (Smodels/lparse)
                                     (Smodels/Iparse)
                  interpreter
                                                               Game
```



Summary, open issues

Behavioural State Machines & Jazzyk

An implemented hybrid programming framework with clear separation between *knowledge representation* and *agent's behaviours*.

- heterogeneous KR technologies
- clear semantics
- source-code modularity: code blocks, macro pre-processor
- easy integration with external systems/environments

Hot topic

■ methodology ~> How to build such agents? What about BDI?
Goal-oriented behaviours?



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Related work

AgentSpeak(L) family - Jason, 3APL, 2APL, GOAL, etc.

- rule based syntax
- operational semantics: transition system

IMPACT - framework for heterogeneous agent systems

- strong KR modularity
- differences in semantics, code modularity, scripting



On-going and future work

methodology

- higher level programming constructs:
 - goals
 - commitment strategies
 - modal logics(?)

Jazzbot

- towards a public system demonstration
- goal-oriented behaviours
- multi-agent setting ~> communication, richer LP updates, agent platform integration



Thank you for your attention.

http://jazzyk.sourceforge.net/